

Kaon Studies: K Identification & Beam Flux

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I. Data Summary

Set A: K^- Beam Runs Target Full (Runs 138, 140, 141, 143)

Reactions Studied:

$$K^- p \rightarrow \Lambda \pi^0 \rightarrow (n \pi^0) \pi^0 \rightarrow n + 4 \gamma \quad (1)$$

$$\begin{aligned} K^- p &\rightarrow \Sigma^0 \pi^0 \\ &\rightarrow (\Lambda \gamma) \pi^0 \rightarrow (n \pi^0) \gamma \pi^0 \rightarrow n + 5 \gamma \end{aligned} \quad (2)$$

$$K^- p \rightarrow K^0 n \rightarrow (\pi^0 \pi^0) n \rightarrow n + 4 \gamma \quad (3)$$

Set B: π^- Beam Run -- Target Full: Run 50

Dominate Background:

$$\pi^- p \rightarrow n \pi^0 \rightarrow n + 2 \gamma \quad (4)$$

C: Other Studies:

Target Empty K^- Beam Run (Run 142)

- No surprises -- not discussed herein

K^- Beam Runs Target Full, but Time-of-Flight Off

- K^- 's not observed

WORM Rejection: Backward Direction θ_{CUT} Dependence

- $\theta_{\text{CUT}} = 130^\circ$ or 120° Both reject **WORMS**

II. Code/Calibration

- CB Analyzer
- User code (cb_kaon) to implement cuts and histogram
- Calibration Method of S. Stanislaus

III. Time-of-Flight (TOF) Histograms

TOF Using Scalars S1 & ST ($t_{\text{TOF}} = T_{\text{S1}} - T_{\text{ST}}$)

A. K^- Runs (Data Set A)

- (i): All Events for Call to User Code
- (ii) Cuts: $\theta > 130^\circ$
No cluster with $E > 20 \text{ MeV}$
 $x_{\text{beam}} \& y_{\text{beam}} > 4.0 \text{ cm}$ at $z = 0$
- (iii) Cuts: Above Cuts
Outside of K_{TOF} Window
 $[K_{\text{TOF}} \text{ Window: } -5.5 \text{ ns} < t_{\text{TOF}} < -4.0 \text{ ns}]$

B. π Runs

- (i): All Events for Call to User Code
 - (ii) Cuts: $\theta > 130^\circ$
At least 1 cluster with $E > 20 \text{ MeV}$
 $x_{\text{beam}} \& y_{\text{beam}}$ OK at $z = 0$
 - (iii) Cuts: Above and
 $T_{\text{TOF}} < -6.0 \text{ ns}$ (π_{TOF} Window)
- Note Ratio $R_{\pi,K} = (\# \pi \text{'s} / \# K \text{'s}) = \sim 50$

IV. Two Cluster Invariant Mass Distributions

A. For K^- Beam Runs (Set A) {Fig. 1a}

B. For π^- Beam Runs (Set B) {Fig. 1b}

- π peak in both sets
- π peak washed out if no θ_{CUT}

V. π^0 Missing Mass Distributions

A. For K^- Beam Runs (Set A) {Fig. 2a}

B. For π^- Beam Runs (Set B) {Fig. 2b}
Analyzed as though they were K^- 's

- Peak at Λ mass
- Shoulder at Σ^- mass (? perhaps)
- But note that π 's (analyzed as K^-) produce MM at Λ !!

$\therefore \exists$ Possibility of contamination from π^- reaction!

- Is TOF region π^- free?
How Can we measure contamination?

VI. π^0 Frequency Distributions with Cut on Λ or Σ^0 Missing Mass Window

- A. For K^- Beam Runs -- Λ & Σ^0 Windows {Fig. 3a, b}
- B. For π^- Beam Runs {Fig. 3 c, d}
(Analyzed as though they were K^- 's)
 - Extremely few two - π clusters with π^- Beam.
 - Suggests cut to Select K^- over π^- reaction
 - Gain by factor of ~ 100
- C. Number of Clusters for Above Shown in Fig. 3 e-h

VII. Neutron Signal: Select Events within Λ Missing Mass Window ($M_\Lambda \pm 36$ MeV)

Calculate Missing Mass off two π^0 Invariant Mass

- A. For K^- Beam Runs {Fig. 4a}
- B. For π^- Beam Runs {Fig. 4b}
 - Neutrons Evident in Missing Mass
in both π^- & K reactions, but gain by factor of 100
 - Few events with 4 clusters + neutron { Fig. 4c}

VIII. Select Events within Σ^- Missing Mass Window ($M_{\Sigma} \pm 36 \text{ MeV}$)

Calculate Missing Mass off two π^0 Invariant Mass
(MM should be from neutron + decay γ)

A. For K^- Beam Runs {Fig. 5a}

B. For π^- Beam Runs {Fig. 5b}

IX. $K^- K^0$ Charge Exchange

A. For K^- Beam Runs {Fig. 6a}

B. For π^- Beam Runs {Fig. 6b}

C. Missing Mass off Two π^- Invariant Mass{Fig. 7}

- K^0 peak present
- n present in Missing Mass
- Further Study needed

X. Conclusions

- K- reactions positively identified
- $K^- p$ Signal Enhanced
Using Cut On Number π^0 's
- Cuts on Missing Mass Confirm Reactions
- π^- reaction “contamination” rejected by about a factor of 100

XI. Estimates of # K^- 's and Beam Rates

$$\# K^- = (\# \text{ Detected Events}) / [(\text{Acceptance}) (\rho L N_A) (\sigma)]$$

- *Number Detected Events --*
Detected Events are those with two π^0 's
Figure 3 (confirmed by Fig. 4)
- *Acceptance:*
 - (i) Assume isotropic π^0 distribution
for Ballpark Estimate
 - (ii) Cut on Solid Angle: $30^\circ < \theta_{\text{LAB}} < 130^\circ$
Gives factor of $(.75)^2$ for each π^0
- *Cross Section:* $\sigma_\Lambda = 1.02 \text{ mb}$ (Reaction 1)
 $\sigma_\Sigma = 0.8 \text{ mb}$ (Reaction 2)
- Target Length $L = 10 \text{ cm}$
- H Density: $\rho = .0708 \text{ gm/cm}^3$

Results for 4 runs (Set A):

For 30 Λ Events: $\# K^- = 0.22 \cdot 10^6$

For 32 Σ Events: $\# K^- = 0.26 \cdot 10^6$

Beam Rate = # K^- /Running Time

Run Time $\sim 4 \text{ hr}$

Rate: $60 \cdot 10^3 K^- / \text{hr}$

Projection to 1998 $\gamma\Lambda$ Rates:

<p>30 EVENTS/ 4 Hrs ==> Improve by x30 ==> or</p>	<p>10 Events/Hr of $\pi \Lambda$ 300 Events/Hr of $\pi \Lambda$ 3 Events/Hr $\gamma\Lambda$ 300 Events/Wk $\gamma\Lambda$</p>
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X. Conclusions For 1998 Data Taking Run

- Mighty Few K⁻'s in '97 Engineering Runs

- Need Good K-Tune:

Mysterious Log Book Notes on Magnet Trip
& CTP Logical.

- Must Budget Adequate Time
to Do Quality Experiment